

Free Actions of Finite Groups on Varieties. II. (Erratum).

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in: Mathematische Annalen | Mathematische Annalen | Periodical Issue | Article

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## Erratum

# Free Actions of Finite Groups on Varieties. II

William Browder and Nicholas M. Katz

Math. Ann. 260, 403-412 (1982)

In our example 3.3 (1), line 6, it is asserted, falsely, that  $\deg(X) = N^g$ . In fact,  $\deg(X) = (g!)N^g$ , and it is rather the coherent Euler characteristic  $\chi(X, \mathcal{L}^{\otimes N})$  which is  $N^g$ . The two sentences following this error become correct if " $\deg(X)$ " be replaced by " $\chi(X, \mathcal{L}^{\otimes N})$ "; this results from the following theorem, which is proven but not stated in our paper.

**Theorem.** Let k be an algebraically closed field, X a projective k-scheme with  $H^0(X, \mathcal{O}_X) = k$ , and G a finite group of k-automorphisms of X which acts freely on X. For any invertible sheaf  $\mathcal{L}$  on X whose isomorphism class in  $\operatorname{Pic}(X)$  is fixed by G, we have

- 1) # G divides  $\chi(X, \mathcal{L})^2$ .
- 2) if G is cyclic, or if char(k) = p > 0 and G is a p-group, then #G divides  $\chi(X, \mathcal{L})$ .

The point of example 3.3(1) is that this theorem is sharp for principally polarized abelian varieties.